$\int \sin(ax)\,dx = -(\frac{1}{a})\cos(ax)+c$
$\int \sin^2(ax)\,dx = (\frac{1}{2})\,x-(\frac{1}{4a})\sin(2ax)+c$
$\int \sin^3(ax)\,dx = -(\frac{1}{a})\cos(ax)+(\frac{1}{3a})\cos^3(ax)+c$
$\int \sin^4(ax)\,dx = (\frac{3}{8})\,x-(\frac{1}{4a})\sin(2ax)+(\frac{1}{32a})\sin(4ax)+c$
$\int \sin^n(ax)\,dx = \frac{-(\sin^{(n-1)}(ax)\cos(ax))}{na}+\frac{(n-1)}{n}\int \sin^{(n-2)}(ax)\,dx\,,\ n=integer>0$
$\int xsinax\,dx = \frac{(sinax)}{a^2}-\frac{(x\,cosax)}{a}+c$
$\int x^2\sin(ax)\,dx = \frac{2x}{(a^2)}\sin(ax)-[\frac{x^2}{a}-\frac{2}{a^3}]\cos(ax)+c$
$\int x^3\sin(ax)\,dx = [\frac{3x^2}{a^2}-\frac{6}{a^4}]\sin(ax)-[\frac{x^3}{a}-\frac{6x}{a^3}]\cos(ax)+c$
$\int x^n\sin(ax)\,dx = \frac{-x^n}{a}\cos(ax)+\frac{n}{a}\int x^{(n-1)}\cos(ax)\,dx\,,(n>0)$
$\int \frac{(\sin(ax))}{a}\,dx = ax-\frac{(ax)^3}{3.3!}+\frac{(ax)^5}{5.5!}-\frac{(ax)^7}{7.7!}+...+c$
$\int \frac{(\sin(ax))}{x^2}\,dx = \frac{-(\sin(ax))}{x}+a\int\frac{(\cos(ax))}{x}\,dx$
$\int \frac{(\sin(ax))}{x^n}\,dx = \frac{-1}{(n-1)}*[\frac{(\sin(ax))}{x^{(n-1)}}]+(\frac{a}{(n-1)})*\int\frac{(\cos(ax))}{x^{(n-1)}}\,dx$
$\int \frac{dx}{(\sin ax)} = \frac{1}{a}\ln(\tan(\frac{ax}{2}))+c$
$\int \frac{dx}{(\sin^2(ax))} = \frac{-1}{a}\cot(ax)+c$
$\int \frac{dx}{(\sin^3(ax))} = \frac{-(\cos(ax))}{(2a\sin^2(ax))}+\frac{1}{(2a)}\ln(\tan(\frac{ax}{2}))+c$
$\int \frac{dx}{(\sin^n(ax))} = \frac{-1}{(a(n-1))}\frac{(\cos(ax))}{(\sin^{(n-1)}(ax))}+\frac{(n-2)}{(n-1)}\int\frac{dx}{(\sin^{(n-2)}(ax))}\,,n>1$
$\int \frac{xdx}{(\sin ax)} = \frac{1}{(a^2)}(ax+\frac{(ax)^3}{3.3!}+7\frac{(ax)^5}{3.5.5!}+31\frac{(ax)^7}{3.7.7!}+127\frac{(ax)^9}{3.5.9!}+..)+c$
$\int \frac{xdx}{(\sin^2 ax)} = \frac{-x}{a}\cot ax+\frac{1}{a^2}\ln(\sin ax)+c$